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1) \$8000 is invested at 3.2% simple interest for 100 weeks. Determine the interest earned and the total value.

$$I = 8000(0.032)(\frac{100}{52})$$

$$I = \frac{4}{9}492.31$$

$$A = 8000 + 492.31$$

$$A = \frac{4}{9}8492.31$$

3) \$12 000 is invested in an account that pays 2.8% interest, compounded monthly. Determine the value after 4 years and the interest earned.

$$A = 12000 \left(1 + \frac{0.028}{12}\right)^{4 \times 12}$$

$$A = \frac{13420.40}{12}$$

$$I = \frac{13420.40}{12000}$$

$$I = \frac{1420.40}{12000}$$

 Money is invested at 4.1% simple interest. After 10 years it earns \$3444 in interest.
 Determine the amount invested.

 Money is invested in an account that pays 2.4% interest, compounded annually. After 6 years the value is \$5995.19. Determine the amount invested.

$$5995.19 = P(1 + \frac{0.024}{1})^{6 \times 1}$$

$$5995.19 = P(1.1529)$$

$$1.1529 \qquad 1.1529$$

$$P = \$5200$$

5) Jimmy's credit card charges 23.79% interest, compounded daily, on late payments. It has an 10% minimum payment. In one month he spent \$2370 on his credit card. He made the minimum payment before the due date. How much does he owe 23 days after the due date.

2370 × 0.10 = \$237.00 \(\text{minimum payment} \)
2370 - 237 = \$2133 \(\text{balance} \)
$$A = 2133 \left(1 + \frac{0.2379}{365} \right)^{\frac{23}{365}} \times \frac{345}{1}$$

$$A = \left(\frac{52165.21}{1} \right)^{\frac{23}{365}} \times \frac{345}{1}$$

6) Jimmy's credit card charges interest, compounded daily, on late payments. In one month he spent \$2687.89 on his credit card. 21 days after the due date he owes \$2726.17. Determine the credit card's interest rate.

$$\frac{2726.17 = 2687.89 \left(1 + \frac{1}{365}\right)^{21}}{2687.89}$$

$$\frac{2687.89}{2687.89}$$

$$\frac{21}{1.0142} = \left(1 + \frac{1}{365}\right)^{21}$$

$$1.00067 = 1 + \frac{1}{365}$$

$$0.00067 = \frac{1}{365} \longrightarrow r = \frac{1}{24.59\%}$$